

Written assignments
to hand in.

Section 1.1 24, 42
Due Wednesday 9/20

Section 1.2 74, 88
Due Friday 9/22

Section 1.3 48, 52
Due Monday 9/25

Discussion Problems
From the department syllabus
These are not to hand in.

Section 1.1, 1.2, 1.3

WebAssign

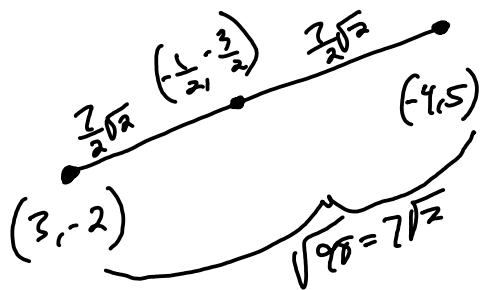
Sections 1.1+1.2
Friday 9/22 at 9pm.

Exam 1 covering
sections P2-P8, 1.1-1.4
Friday 9/29

Calculators which are internet
enabled (e.g., mobile phones)
and which can do symbolic
manipulations are not allowed.
See me if you are unsure
about your calculator.

Section 1.1

(27)

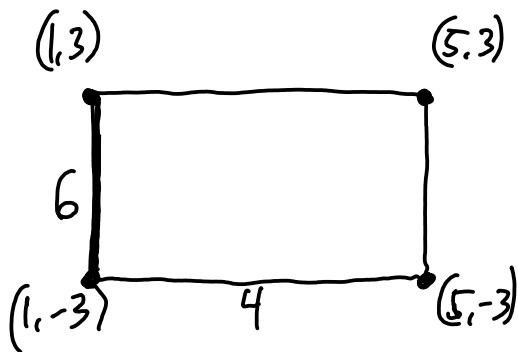


Find the distance between the two points and find the midpoint between them.

$$d = \sqrt{(\Delta x)^2 + (\Delta y)^2} = \sqrt{(x_1 - x_2)^2 + (y_1 - y_2)^2} = \sqrt{(3 - (-4))^2 + (-2 - 5)^2}$$
$$= \sqrt{7^2 + 7^2} = \sqrt{98} = 7\sqrt{2}$$

$$\text{midpoint} = \left(\frac{x_1 + x_2}{2}, \frac{y_1 + y_2}{2} \right) = \left(\frac{3 + (-4)}{2}, \frac{-2 + 5}{2} \right) = \left(-\frac{1}{2}, \frac{3}{2} \right)$$

(31)



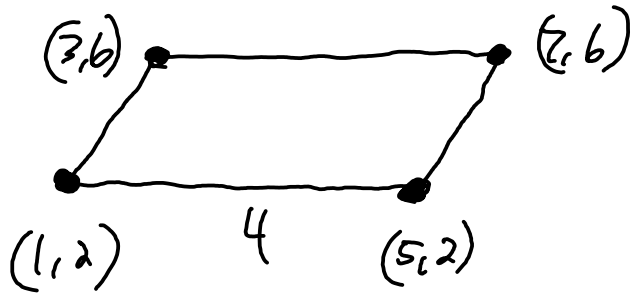
Special cases for distances

A vertical line segment is shown between the points (x_1, y_2) and (x_1, y_1) . The distance is given by the equation $d = |y_2 - y_1|$.

A horizontal line segment is shown between the points (x_1, y) and (x_2, y) . The distance is given by the equation $d = |x_2 - x_1|$.

$$\text{Area} = 6 \cdot 4 = 24$$

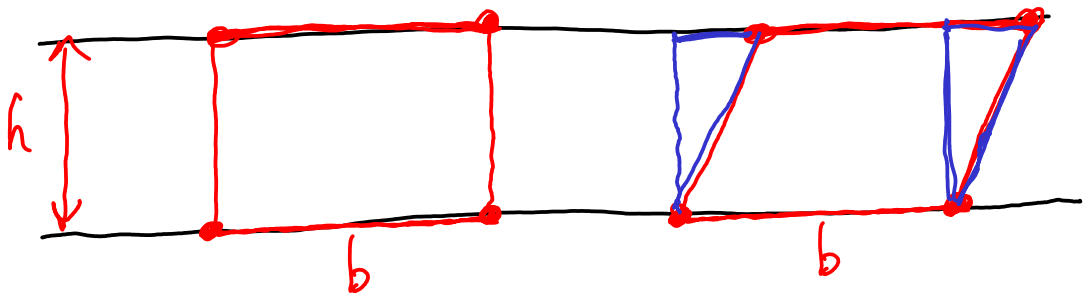
(32)



height = 4

Area = $4 \cdot 4 = 16$

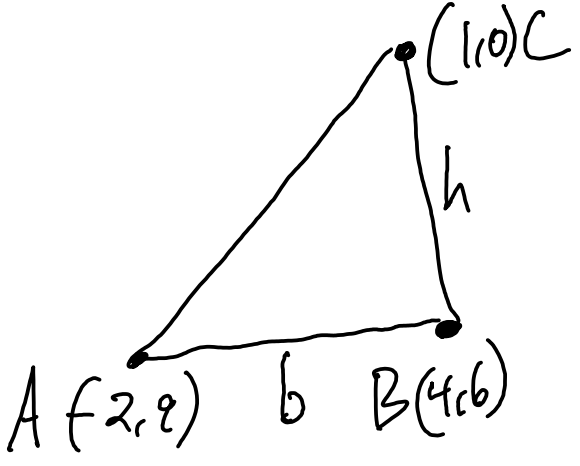
Areas of rectangle and parallelogram are both length of base \cdot height.



Area = bh

(41)

in the lecture notes. Here is a similar problem.



Show that these three points form a right triangle. What is its area??

$$|AB| = \sqrt{(4 - (-2))^2 + (6 - 9)^2} = \sqrt{6^2 + (-3)^2} = \sqrt{45}$$

$$|AC| = \sqrt{(-2 - 1)^2 + (9 - 0)^2} = \sqrt{(-3)^2 + 9^2} = \sqrt{90}$$

$$|BC| = \sqrt{(1 - 4)^2 + (0 - 6)^2} = \sqrt{(-3)^2 + (-6)^2} = \sqrt{9 + 36} = \sqrt{45}$$

Now $\sqrt{45}^2 + \sqrt{45}^2 = \sqrt{90}^2$ So this is a right triangle.

$$\text{Area} = \frac{1}{2}bh = \frac{1}{2}\sqrt{45}\sqrt{45} = \frac{1}{2}45 = \boxed{22.5 \text{ units}^2}$$